

Riverbed and surface composition adjustments in a gravel bed river subject to repeated sediment bypass tunnel



14.09.2018

# Sediment Bypass Tunnels (SBTs)

#### Main aim of SBT's:



#### Outlet structure of the Solis SBT (canton Grisons)



(Videos VAW)

#### Goals of this work

G1. Determine how much sediment and water are released by the SBT to the downstream reach.

Development of a **conceptual framework** for the identification of possible release scenarios

G2. Quantify morphological variations in terms of riverbed and surface grain size distribution (GSD) in the downstream reach after repeated SBT operations on both short and long temporal scales.

# **CONCEPTUAL FRAMEWORK**

**G1** 

How much sediment and water are released by the SBT to the downstream reach? Identification of 4 possible release scenarios (S I-S IV)

# Sediment Bypass Tunnels (SBTs) – conceptual framework (functioning scheme)



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# NUMERICAL STUDY

Which are the morpholagical variations (i.e. riverbed and surface grain size distribution) in the downstream reach after repeated SBT operations on both short and long temporal scales?

G2

### 1D numerical modeling – simulations setup

simulations performed with BASEMENT (www.basement.ethz.ch)

Simplified Domain geometry and characteristics  $\rightarrow$  Solis downstream reach

Qw Qw			$Q_w$ and $Q_b$ del	ivered by SBT
<b>↑</b>	time /			downstream $(ds)$
		olume [%]	initial	GSD
	time	OV VO	final G	SD SD
		partic	le size  mm	

 $15 \mathrm{m}$ 



Parameter	Value
Channel Length [m]	10000
Channel width [m]	15
Initial bed slope [-]	0.014
Strickler parameter [m <sup>1/3</sup> s <sup>-1</sup> ]	32

#### 1D numerical modeling – boundary and initial conditions

**Operational Conditions:** 

- OC1: SBT bypassing efficiency e<sub>SBT</sub> = 1.0
- OC2: Alternate sedimentladen and clear water releases





#### 1D numerical modeling – results

#### We study the effects of SBT operations at different time scales:

■ On the long-term → mobile-bed equilibrium

• On the mid-term  $\rightarrow$  SBT (dam) lifespan

• On the short-term  $\rightarrow$  event time-scale





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# 1D numerical modeling – results at mobile-bed equilibrium



#### S: riverbed slope





## 1D numerical modeling – results after 50 SBT operations

 $\Delta \eta$ : deviatoric riverbed level (elevation difference) d<sub>g</sub>: mean geometric size

- $\Delta \eta = \Delta \eta (t = 50 \text{ op.})$  $\Delta \eta_{eq} = \Delta \eta (t > 10^4 \text{ op.})$
- $d_g = d_g(t = 50 \text{ op.})$  $d_{g,eq} = d_g(t > 10^4 \text{ op.})$
- Riverbed level
  far from the equilibrium
- Riverbed GSD
  - $\rightarrow$  close to the equilibrium



50 op.

#### 1D numerical modeling – results at event-scale, GSD hysteresis

Distance: 1km downstream



# Conclusions

- We develop a conceptual framework to predict the amount of volume of water and sediments release from the SBT.
- At mobile-bed equilibrium:
  - S < S<sub>ref</sub> the more water is released
  - Riverbed surface → mobile armor
- After 50 SBT operations:
  - Riverbed level far from equilibrium
  - Riverbed GSD close to equilibrium
- At event-scale:
  - Fast reworking of the GSD



# Thank you for your attention!

#### **Special thanks to:**

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Bundesamt für Umwelt BAFU

#### **Conclusions and outlook**

#### Outlook

- regular morphological and ecological monitoring (effect of the tributaries)
- more experience  $\rightarrow$  keep framework up-to-date, introduce new OCs
- 2D modeling  $\rightarrow$  2D morphological features (e.g. bars), river habitat modeling

#### **Reservoir sedimentation – countermeasures**



(Auel et al., In Proc. 84<sup>th</sup> ICOLD Annual meeting, 2016) PhD Defense

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#### **Reservoir sedimentation – countermeasures classification**

- CAP/MAS = reservoir volume / mean annual sediment inflow volume
- CAP/MAF = reservoir volume / annual water inflow volume
- Range of application for which SBTs are most effective



#### **Reservoir sedimentation – loss of storage capacity**

- More than 53% of the global sediment flux in regulated basins (28% of all river basins in the world) is potentially trapped in reservoirs
  → trapping rate = 4-5 billions tons of sediment per year (Vörösmarty et al., Glob. and Plan. Change, 2003)
- At the current rate the <u>global</u> storage capacity will be halved by 2050 (ICOLD, Tech. Rep., 2009)
- <u>In Switzerland</u> by 2050 around 20% of total reservoir capacity will be lost (Schleis et al., WEL, 2010)



#### **SBT** longitudinal profile



(Auel, PhD Thesis, 2014)

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## Sediment Bypass Tunnels (SBTs) – intake position

#### Position of SBTs intake structure:

- at the upstream end of the reservoir
- at the knickpoint of the aggradation body

#### Other characteristics:

- velocity values range between ca. 7 [m s<sup>-1</sup>] and 15 [m s<sup>-1</sup>] (supercritical flow conditions)
- outlet → uniform flow conditions
- intake  $\rightarrow$  supercritical flow



#### SBTs in the world – Switzerland, Japan, Taiwan

Reservoir name	Country	Completion year	Cross-section shape	Intake position	$b_t$ [m]	$h_t \text{ or } D_t$ [m]	L [m]	S [-]	$egin{array}{c} Q_{w,d} \ [\mathrm{m}^3~\mathrm{s}^{-1}] \end{array}$	Target grain size [mm]	Run time [days/a]	Reservoir purpose*
Egshi	CH	1976	Circular**	Midst.	1.20	2.80	360	0.026	50	$d_m: 60$	3-10	Р
Hintersand	CH	2001	Arch	Upst.	3.25	3.20	1050	0.012	38	$d_m: 20$	n.s.	P
Palagnedra	CH	1977	Horseshoe	Upst.	3.70	6.20	1760	0.02	250	$d_m: 74$	5	Р
Pfaffensprung	CH	1922	Horseshoe	Midst.	4.70	5.23	282	0.03	220	$d_m: 250$	100-200	W
Rempen	CH	1986	Horseshoe	Upst.	3.45	3.42	450	0.04	80	$d_m: 60$	1-5	Р
Runcahez	CH	1962	Arch <sup>+</sup>	Upst.	3.80	4.27	572	0.014	110	$d_m: 230$	4	Р
Serra	CH	1952	Horseshoe	Upst.	2.80	2.80	425	0.0157	40	$d_m$ : 50	1-10	Р
Solis	CH	2012	Arch	Midst.	4.40	4.68	968	0.019	170	$d_m: 60$	1	P
Ual da Mulin	CH	1962	Horseshoe	Upst.	2.50	3.70	268	0.043	n.s.	$d_m$ : 40	2 15	P
Val d'Ambra	CH	1967	Circular**	Upst.	3.60	3.60	512	0.02	85	$d_m: 60$	2-3	Р
Nunobiki – Gohonmatsu	JP	1908	Arch	Upst.	2.90	2.90	258	0.013	39	n.s.	n.s.	W
Tachigahata	JP	1905	n.s.	Upst.	n.s.	n.s.	n.s.	n.s.	n.s.	n.s.	n.s.	W
Miwa	JP	2005	Horseshoe	Midst.	7.80	7.00	4308	0.01	300	washload	1-2	F/P
Asahi	JP	1998	Arch	Upst.	3.80	3.80	2350	0.029	140	$d_m: 50$	16	P
Koshibu	JP	2016	Horseshoe	Upst.	5.50	7.90	3999	0.02	370	$d_m: 10$	n.s.	F/A/P
Matsukawa	JP	2016	Arch	Upst.	5.20	5.20	1417	0.04	200	$d_m$ : 10	n.s.	F/W
Shihmen	TWN	i.p.	Arch	Midst.	9.00	9.00	3685	0.0286	600	$d_m: 0.04$	n.s.	F/W/A
Nanhua	TWN	2018	Horseshoe	Midst.	9.50	9.50	1287	0.0185	1000	$d_m: 0.02$	n.s.	F/W
Tsengwen	TWN	2017	Horseshoe	At dam	9.50	9.50	1235	0.0532	995	$d_m: 0.005$	n.s.	F/W/A

i.p.: in planning phase; n.s.: not specified

\*: F: flood control; A: agriculture; W: water supply; P: hydropower production

\*\*: circular shape with plain invert; +: slightly concave invert

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# SBTs in the world – France, Ecuador, Iran, Pakistan, USA, South Africa

Reservoir name	Country	Commission- ing year	Cross-section shape	Intake position	$b_t$ [m]	$h_t \text{ or } D_t$ [m]	L [m]	s [-]	$egin{array}{c} Q_{w,d} \ [\mathrm{m}^3~\mathrm{s}^{-1}] \end{array}$	Target grain size [mm]	Run time [days/a]	Reservoir purpose*
Jotty	FR	1949	n.s.	n.s.	n.s.	n.s.	118	0.006	n.s.	n.s.	n.s.	n.s.
Rizzanese	FR	2012	n.s.	n.s.	n.s.	n.s.	133	0.069	100	$d_m: 0 - 18$	n.s.	n.s.
Chespí – Palma Real	ECU	i.p.	n.s.	n.s.	n.s.	n.s.	2200	0.017	n.s.	n.s.	n.s.	n.s.
Delsitanisagua	ECU	u.c.	n.s.	n.s.	n.s.	n.s.	880	0.02	200	n.s.	n.s.	n.s.
Dez	IRN	i.p.	n.s.	n.s.	n.s.	n.s.	n.s.	n.s.	n.s.	n.s.	n.s.	n.s.
Patrind	PAK	2017	Arch	Midst.	7.50	8.50	180	0.0112	340	n.s.	n.s.	n.s.
Mud Mountain	USA	1940	Horseshoe	At dam	2.74	n.s.	505	0.0194	120	$d_{50}$ : 62	$\sim 80$	n.s.
Nagle Dam	ZAF	1950	n.s.	n.s.	n.s.	n.s.	n.s.	n.s.	n.s.	n.s.	n.s.	n.s.

i.p.: in planning phase; u.c.: under construction; n.s.: not specified

\*: F: flood control; A: agriculture; W: water supply; P: hydropower production

### Schin canyon – morphology





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#### **Solis SBT – inlet/outlet structures**





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# Solis SBT – reservoir upstream end and intersection with the Posterior Rhine





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#### Study site – bathymetric LiDAR surveys at Solis

LiDAR = Light Detection And Ranging

Year	2014	2016
Operator	AHM <sup>a</sup>	AHM <sup>a</sup>
Flight date	Oct. 18	Oct. 17
ALS <sup>b</sup> system	VQ820-G	VQ880-G
Stripes	16	16
Point Density [pts/m <sup>2</sup> ]	20-30	50-60
ALS <sup>b</sup> accuracy [cm]	2.5 <sup>c</sup>	2.5 <sup>d</sup>
Georeferencing error [cm]	5	5
Stripes alignment error [cm]	6	8

<sup>a</sup> AirborneHydroMapping GmbH, Innsbruck <sup>b</sup> Airborne Laser Scanning

- <sup>c</sup> at 1 Secchi depth
- <sup>d</sup> at 1.5 Secchi depth



#### LiDAR Validation – 2014 Cross-Sections



#### LiDAR Validation – 2014 Cross-Sections



5.5 km from SBT outlet

#### LiDAR Validation – 2016 Cross-Sections



0.2 km from SBT outlet

#### LiDAR Validation – 2016 Cross-Sections



#### LiDAR Validation – Interpolated 2016 Cross-Sections



0.2 km from SBT outlet

#### LiDAR Validation – Interpolated 2016 Cross-Sections



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 $5.5~\mathrm{km}$  from SBT outlet

## Digital Elevation Model (DEM) of Difference (DoD) – Method



- Bathymetric LiDAR data validation over the whole reach using:
  - 2D hydrodynamic modeling (a)
  - Return number of measured points (b) and (c)
  - Intensity of the measured points (d) and (e)

#### **DoD - Fuzzy Inference System**

The estimation of the DEM uncertainties requires information beyond stopoge aphic data

- Steep areas low sets/ey point density and high slopew
  →2high elevation when the two sets to be sets to be
- Flat areas: high survey point density and low slope
  Modium Low High

→ High → High components More Hereiton uncertainty components More Hereiton Certainty collinear value High high collinear value High collinear value High high collinear value High high high collinear value High high high high collinear value High high high high holo not extine High collinear value High high holo not extine Holo not extine Holo not extine High holo not extine High holo not extine High holo not extine High holo not extine Ho

guere	High	Medium	High
9	High	High	High



#### **DoD – Spatial Contiguity Index (SCI)**

On a movable 5x5 m window, the SCI expresses the probability of an elevation change falling inside the threshold interval to be true, given the number of surrounding cells being either in erosion or deposition


Name	Eroded V [m <sup>3</sup> ]	Deposited V [m <sup>3</sup> ]	Net V [m <sup>3</sup> ]
Raw	6593	12416	5823
U1P1 (a)	3085	5959	2874
U2P1 (b)	5171	10552	5381
U1P2 (c)	1103	3458	2355
U2P2 (d)	3373	8138	4765
U2P2SCI (e)	6182	11985	5804



Erosion and deposition patterns with riverbed profile



Big deposition upstream due to sediment transport from the tributary

Name	Net V [m <sup>3</sup> ]
Raw	5223
U1P1 (a)	2274
U2P1 (b)	4781
U1P2 (c)	1755
U2P2 (d)	4165
U2P2SCI (e)	5204



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## Erosion trend in the middle reach



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Second depositional reach



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Fourth reach: mixed erosion and deposition



## **1D numerical modeling – Methods** Saint-Venant-Hirano model for mixed-sediment morphodynamics



We try to answer the research question with numerical simulations performed with BASEMENT

- BASEMENT uses the **Saint-Venant-Hirano model for mixed-sediment morphodynamics** to compute morphodynamic changes.
- Hydraulics

$$\frac{\partial h}{\partial t} + \frac{\partial q_w}{\partial x} = 0 \qquad \qquad \frac{\partial q_w}{\partial t} + \frac{\partial}{\partial x} \left( \frac{q_w^2}{h} + \frac{1}{2}gh^2 \right) + gh\frac{\partial \eta}{\partial x} = -ghS_f$$
tinuity equation Momentum principle

Continuity equation

Sediment transport

$$(1 - \lambda_p)\frac{\partial \eta}{\partial t} + \frac{\partial q_{b,T}}{\partial x} = 0$$
  
$$\frac{\partial M_{a,k}}{\partial t} + \frac{\int_{k}^{I} \partial q_{b,T}}{\partial x} + \frac{\partial q_{b,k}}{\partial x} = 0$$
  
Mass conservation in the AL

Sediment mass continuity (Exner)

$$\frac{\partial M_{s,k}}{\partial t} + \underbrace{f_k^I}_{\partial x} = 0$$
  
Mass conservation in the substrate

 $(2N_{as} + 1)$  equations

Closure relations

- Gauckler-Strickler relation for the friction slope;
- Toro-Escobar et al. (JHR, 1996) for the grain size exchange between the substrate and the active layer;
- Wilcock and Crowe (JHE, 2003) surface-based transport model to compute bed-load transport.

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#### 1D numerical modeling – Methods Saint-Venant-Hirano model for mixed-sediment morphodynamics

**Closure relations:** 

$$L_{a} = n_{a}d_{s,90}$$

$$f_{k}^{I} = \begin{cases} f_{s,k} \Big|_{\eta = \eta - L_{a}}, \frac{\partial}{\partial t}(\eta - L_{a}) < 0 \\ \alpha F_{a,k} + (1 - \alpha)p_{b,k}, \frac{\partial}{\partial t}(\eta - L_{a}) \ge 0 \end{cases}$$

(Toro-Escobar et al., JHR, 1996)



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#### 1D numerical modeling – Methods Surface-based Transport Model by Wilcock and Crowe (JHE, 2003)

Computation of sediment discharge

 $q_{b,k} = F_{a,k} \frac{u_*^3}{\Delta g} W_k^*$   $W_k^* = G(\phi_k)$   $G(\phi_k) = \begin{cases} 0.002\phi_k^{7.5}, & \phi_k < 1.35\\ 14\left(1 - \frac{0.894}{\phi_k^{0.5}}\right)^{4.5}, & \phi_k \ge 1.35 \end{cases}$ 

$$\phi_{k} = \frac{\tau_{sg}^{*}}{\tau_{ssrg}^{*}} \left(\frac{d_{s,k}}{d_{s,g}}\right)^{-b}$$
  
$$\tau_{sg}^{*} = \frac{u_{*}^{2}}{\Delta g d_{s,g}}$$
  
$$\tau_{ssrg}^{*} = 0.021 + 0.015 \exp(-20F_{s})$$
  
$$b = \frac{0.67}{1 + \exp(1.5 - d_{s,k}/d_{s,g})}$$

#### 1D numerical modeling – Methods Surface-based Transport Model by Wilcock and Crowe (JHE, 2003)

Prediction of the static armor composition

 $\phi_k = \frac{\tau_{sg}^*}{\tau_{scra}^*} \left(\frac{d_{s,k}}{d_{s,k}}\right)^{-\nu_k}$  $q_{b,k} = F_{a,k} \frac{u_*^3}{\Delta a} W_k^*$  $\tau_{sg}^* = \frac{u_*^2}{\Lambda ad}$  $W_k^* = G(\Phi_k)$  $G(\phi_k) = \begin{cases} 0.002\phi_k^{7.5}, & \phi_k < 1.35\\ 14\left(1 - \frac{0.894}{\phi_k^{0.5}}\right)^{4.5}, & \phi_k \ge 1.35 \end{cases}$  $\tau^*_{ssrg} = 0.021 + 0.015 \exp(-20F_s)$  $b_k = \frac{0.67}{1 + exp(15 - d + 1/d - 1)}$  $F_{a,k} = \frac{p_{b,k} \delta_k^{7.5b_k}}{\sum_{k=1}^{N_{gc}} p_{b,k} \delta_k^{7.5b_k}} \quad \delta_k = \frac{d_{s,k}}{d_{s,g}} \quad p_{b,k} = \frac{q_{b,k}}{q_{b,T}}$ PhD Day 1346 01.

# 1D numerical modeling – results at mobile-bed equilibrium resulting GSD under OC1 and OC3



Scenario II, OC2b

Δη: elevation difference  $\Delta \eta = \eta (t = t^*) - \eta (t = 0)$ 

d<sub>s,g</sub>: mean geometric grain size of the riverbed surface

- $\rightarrow$  Dynamic situation
- $\rightarrow \Delta \eta$  changes confined





HBL present only under OC2  $\rightarrow$  transport capacity / feeding unbalanced HBL always confined upstream  $\rightarrow$  less than 2 km from the upstream end



 $A_{HBL}$ : HBL amplitude  $L_{HBL}$ : HBL length

 $\begin{array}{ccc} 0.0\,0.5\,1.0\,1.5\,2.0\,2.5\,3.0\,3.5\,4.0 & 0.0\,0.5\,1.0\,1.5\,2.0\,2.5\,3.0\,3.5\,4.0 \\ Q_w^* = Q_w/Q_{w,d,SBT} & Q_w^* = Q_w/Q_{w,d,SBT} \end{array}$ 

## 1D numerical modeling – results after 50 SBT operations, 1 km



Riverbed level  $\rightarrow$  still far from the equilibrium Riverbed GSD  $\rightarrow$  close to the equilibrium

#### 1D numerical modeling – results after 50 SBT operations, 10 km



Riverbed level  $\rightarrow$  even farther from the equilibrium

Riverbed GSD  $\rightarrow$  the disturbance has arrived at the end of the domain PhD Defense

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Mobile-bed equilibrium reached under OC2b





Mobile-bed equilibrium Number of events = 0.0 reached under OC1  $\Delta \eta$  [m] Distance [m]  $-\Delta\eta$  (t=t<sup>\*</sup>)  $- - -\Delta\eta$  (t=0) d<sub>s,g</sub> [mm] - - - initial d<sub>s,q</sub> ----- feeding d<sub>s,q</sub> ----- d<sub>s,q</sub> 15. PhD Defense

#### 1D numerical modeling – results at event-scale, sorting waves

Run #3, scenario II, OC1



## 1D numerical modeling – results at event-scale, HBL thresholds

Run 03, scenario II, OC1

→ very small discrepancy between feeding and transport capacity



#### 1D numerical modeling – results at event-scale, GSD hysteresis

Released sediment volume >> transport capacity volume  $\rightarrow$  cycle not closed



#### 1D numerical modeling – results at event-scale, HBL thresholds

Q<sub>b</sub> variations for SBT scenarios is in an area where there are huge slope variations and small GSD variations



#### **Real case study**



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#### Workflow



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# **REAL CASE STUDY**

#### **Real case study**



Q1. Which are the volumes mobilized by two years of SBT operations at the Solis SBT and how do they affect river morphology?



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#### Study site – Reach of the Albula River



#### • Location:

downstream of Tiefencastel, Canton of Grisons, Switzerland

#### Albula River:

950 km<sup>2</sup> drainage basin, 40 km long

#### Downstream Reach:

- ca. 7 km long
- three main tributaries
- cross-sections surveyed at three locations
- ecological survey (eawag) at two locations

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#### Study site – Solis SBT









(courtesy of M. Müller-Hagman, VAW)

- Solis SBT: 968 m long, 1.9% slope
- Inflow section:50 m long, 1% slope
- Intake location: at the knickpoint of the aggradation body
- Cross-section shape: horseshoe shape: 4.68 m high, 4.4 m wide

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#### Study site – SBT operations at Solis



2-year return period 10-year return period PhD Defense

## Study site – bathymetric LiDAR surveys at Solis

LiDAR = Light Detection And Ranging Bathymetric LiDAR  $\rightarrow$  under water points

Year	2014	2016
Operator	AHM <sup>a</sup>	AHM <sup>a</sup>
Flight date	Oct. 18	Oct. 17
ALS <sup>b</sup> system	VQ820-G	VQ880-G
Point Density [pts/m <sup>2</sup> ]	20-30	50-60
ALS <sup>b</sup> accuracy [cm]	2.5	2.5

<sup>a</sup> AirborneHydroMapping GmbH, Innsbruck <sup>b</sup> Airborne Laser Scanning



## Digital Elevation Model (DEM) of Difference (DoD) – Method



- LiDAR data post processing to generate a DEM for each survey + validation
- DEM2016 DEM2014 = DoD
   → volumes + erosion/deposition patterns
- Geomorphic Change Detection (GCD) tool by J. Wheaton (ESPL, 2010):
  - Quantification of single DEM uncertainties
    - Uniform error
    - Fuzzy Inference System (point density and slope)
  - Propagation of single DEM uncertainties into the DoD
    - Minimum level of detection
    - probabilistic representation of uncertainty (CI)
  - Spatial Contiguity Index (SCI) PhD Defense

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#### **DoD** – **Results**

Name	Eroded V [m <sup>3</sup> ]	Deposited V [m <sup>3</sup> ]	Net V [m <sup>3</sup> ]
Raw	6593	12416	5823
U1P1 (a)	3085	5959	2874
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## **DoD - Results**

Budget segregation (200 m reaches):

deposition – erosion – deposition in the first 5 km



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## Conclusions

- Q1. Which are the volumes mobilized by two years of SBT operations at the Solis SBT and how do they affect river morphology?
- Large volumes (2400~5800 m<sup>3</sup>) of sediment mobilized
- Clear water releases → pulse advection

## 1D numerical modeling – results at event-scale

 $\Delta\eta$ : deviatoric riverbed level (elevation difference) nCED: normalized Cumulative Elevation Difference



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# 1D numerical modeling – results at event-scale

Scenario II (SBT design range)

■ Clear water releases (OC2a and b) → pulse advection



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# **DoD - Results**

Budget segregation (200 m reaches):

deposition – erosion – deposition in the first 5 km





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## 1D numerical modeling – results at event-scale



 $\begin{aligned} \frac{d_x}{d_{x,eq}} < 1.0 \rightarrow \text{finer} \\ \frac{d_x}{d_{x,eq}} > 1.0 \rightarrow \text{coarser} \\ d_x = d_x (t = t^*), t^* < 5 \text{ op.} \\ d_{x,eq} = d_x (t > 10^4 \text{ op.}) \end{aligned}$ 

- 3 SBT operations
  → static armor broken
- GSD oscillations at each event



5 op.

# 1D numerical modeling – simulations setup



#### simulations performed with BASEMENT (www.basement.ethz.ch)



time

Feeding (reference) GSD: geometric mean size  $d_{s,g,f} = 16$  mm, sand percentage = 25% grain classes: 11



## Conclusions

Q1. How much sediment and water are released by the SBT to the downstream reach, under different operational conditions?

Q<sub>w</sub> and Q<sub>b</sub> dependent on upstream transport conditions



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### Sediment Bypass Tunnels (SBTs) – aims

- Route sediments around or through dams result in
  - the reduction of <u>reservoir sedimentation</u>
  - the re-establishment of water and sediment continuity

## Outline

- Introduction
- Coceptual framework: identification of the possible operational conditions
- Numerical study: riverbed and surface composition adjustments
- Conclusions

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# INTRODUCTION

#### Sediment Bypass Tunnels (SBTs) – research

#### Research about SBTs

- Building materials and technologies (e.g. Müller-Hagmann, 2017 VAW)
- Bypassing efficiency (sedimentation reduction) (e.g. Auel et al., 2016 VAW)
- Downstream ecological effects (e.g. Martín et al., 2017, EAWAG)

#### **Downstream morphological effects are mostly unexplored**